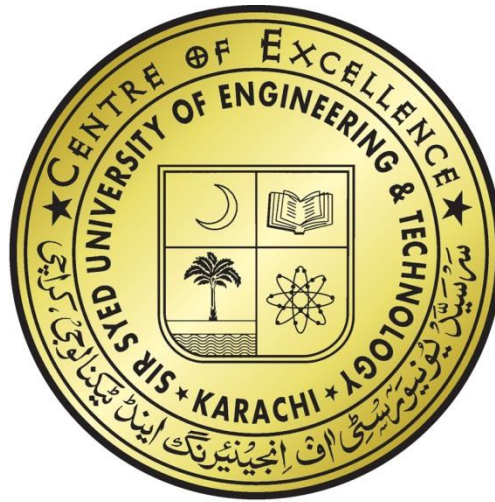


# Laboratory Manual

## Digital Logic Design (EE-220)

### Third Semester Telecommunication Engineering



## TELECOMMUNICATION ENGINEERING DEPARTMENT

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1		To study the logic gates in the TTL ICs and familiarize with Combinational logic.		
2		To verify De-Morgan's laws and verification of Boolean Laws and Rules.		
3		Design and implement Half and Full Adder using combinational logic.		
4		Implementation of 4 variable Karnaugh-Map (SOP).		
5		a) To convert given binary numbers to gray codes b) Designing an Odd Parity Generator and Checker for a 3-bit Data.		
6		Designing of a 4x2 Priority Encoder. Experimenting with 74148IC Octal (8x3) Priority Encoder.		
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8		Designing of a 4x1 Multiplexer. Experimenting with 74151 IC.		
9		Design RS Latch Using NAND gate, testing of JK flip-flop and develop D- Flip-Flop using JK FF and T- Flip-Flop using JK FF.		
10		To study the working of 4-bit Up/Down counter using IC 74193.		
11		To study parallel in parallel out PIPO shift register using IC74273 (D-type flip flop).		

12		<i>To study parallel in parallel out PIPO shift register using IC74273 (D-type flip flop).</i>		
13		<i>To build JK MASTER SLAVE flip flop and verify its truth table.</i>		
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15		<i>To study the Programmable logic devices and familiarize with programmable logic devices.</i>		

## Experiment No. 1

### Objective

To study the logic gates in the TTL ICs and familiarize with Combinational logic

### Components Required

- Bread board
- 5 V - power supply
- Multimeter
- Logic probe
- LEDs with resistors
- Connecting wires
- Switches

Following ICs and their datasheets

- 7408: quad 2 input AND
- 7432: quad 2 input OR gate
- 7404: hex inverter
- 7400: quad 2 input NAND
- 7402: quad 2 input NOR gate
- 7486: quad 2 input EXOR gate

### Theory

#### Logic Gates

Logic gates are the fundamental building blocks of digital systems. These devices are able to make decisions, in the sense that they produce one output level when some combinations of input levels are present and a different output when other combinations are applied; hence given the name Logic Gates. The two levels produced by digital circuitry are referred as HIGH and LOW, TRUE and FALSE, ON and OFF, or simply 1 and 0. There are only three basic gates: AND, OR and NOT. The other gates are merely combinations of these basic gates. Logic gates can be interconnected to perform a variety of logical operations. This interconnection of gates to achieve prescribed outcomes is called logic design.

#### AND Gate

An AND gate's output is 1 if and only if all its inputs are 1. e.g if A and B. are two inputs of an AND gate then output, F of the gate is given as:  $F = A \cdot B$

#### OR Gate

An OR gate's output is 1 if at least one of its input is 1 e.g. if A and B are two inputs to an OR gate then output, F of the gate is given as:  $F = A + B$

**NOT Gate (Inverter)**

Its output is 1 when its input is 0 and its output is 0 when the input is 1; i.e. it complements a digital variable. If A is the input to a gate then output, F of the gate is given as:  $F = A'$

**NAND Gate**

Its output is 1 if at least one of its inputs is 0. This gate performs the same logic as an AND gate followed by an inverter. If A and B are two inputs to a NAND gate then output, F of the gate is given as:  $F = A \cdot B$

**NOR Gate**

The output of a NOR gate is 1 if and only if all its inputs are 0. This gate performs the same logic function as an OR gate followed by an inverter. If A and B are two inputs to a NAND gate then output, F of the gate is given as:  $F = A + B$

All the above gates have one output and two or more inputs except the NOT gate, which has only one input.

**EXOR Gate**

EXOR operation is that if even numbers of binary inputs are logic 1 output will be logic 1; otherwise output will be logic 0. for 2 inputs, it becomes a bit comparison operation. The Output is high only if either A or B is high, output goes low if both inputs are high or low. If A and B are two inputs to a NAND gate then output, F of the gate is given as:  $F = A \oplus B$ .

**Procedure For Testing Logic Gates In Given ICs**

1. Set the power supply to 5V. with the help of a multimeter check the voltage at the output knobs of the power supply.
2. Connect wires; long enough to reach the breadboard, with the two knobs of the power supply. Again using multimeter, check voltages at the non-connected end of the wires.
3. Insert the 7408 quad 2 input AND gate IC on to the bread board and make supply and ground connections by joining wire between 5V and pin # 14 as well as 0V and pin # 7.
4. Consult IC's internal connection diagram for input and the output pins of the first AND gate. Connect input pins to logic 0 (0V) and observe the output using LED or logic probe. You can also connect switches at the input lines to facilitate toggling between 1 and 0.
5. Try different combinations of logic levels at the two inputs. Again observe the output.
6. Repeat the last two steps for all other gates of the same IC. Record the observations.
7. Repeat this procedure for all other ICs.

**Observations**

<b>Gate</b>	<b>Input A</b>	<b>Input B</b>	<b>Expected Output</b>	<b>Observed Output</b>
<b>AND</b>	0	0		
	0	1		
	1	0		
	1	1		
<b>OR</b>	0	0		
	0	1		
	1	0		
	1	1		
<b>NOT</b>	0	-		
	1	-		
<b>NAND</b>	0	0		
	0	1		
	1	0		
	1	1		
<b>NOR</b>	0	0		
	0	1		
	1	0		
	1	1		
<b>EXOR</b>	0	0		
	0	1		
	1	0		
	1	1		

**Task 1.1: Procedure for Implementation of the Given Circuit**

1. Set the power supply to 5V.
2. Insert ICs on the bread board and make their supply and ground connections.
3. As given in the logic diagram, make connections using wires and gates in the ICs.
4. Apply different combinations at the three inputs and observe the output.

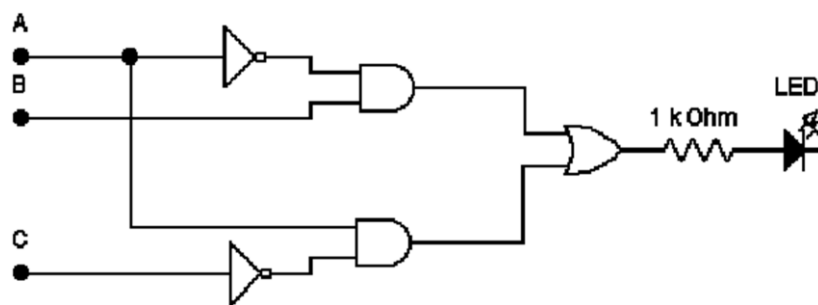
**Circuit Diagram**

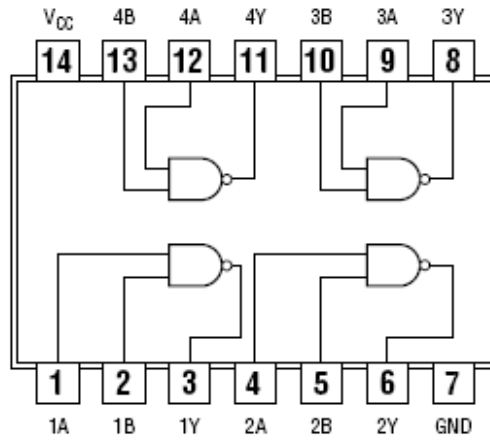
Figure 1.2

**Observations**

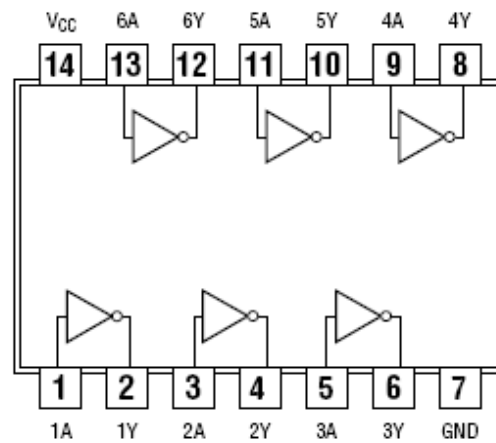
Logic expression for the given logic diagram: \_\_\_\_\_

A	B	C	Expected output	Observed output
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

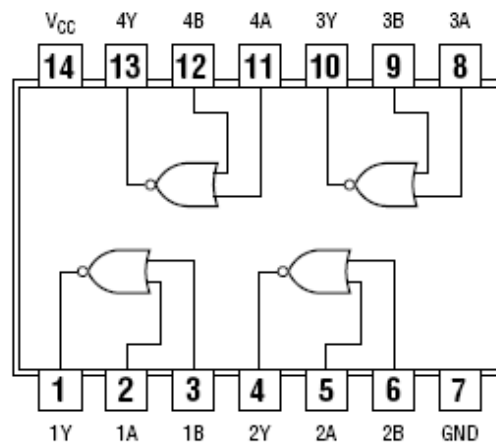
**Internal IC Diagrams**



**Figure 1: 7400 (NAND)**



**Figure 2: 7404 (NOT)**



**Figure 3 NOR**



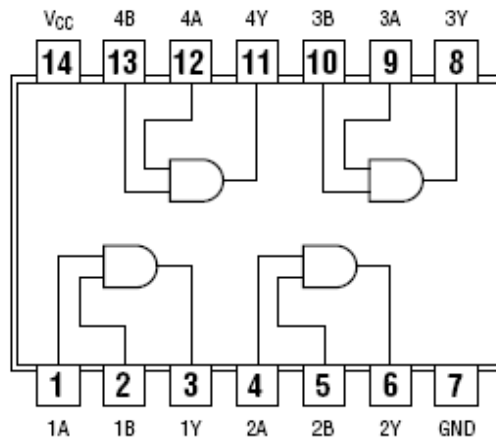


Figure 4: AND

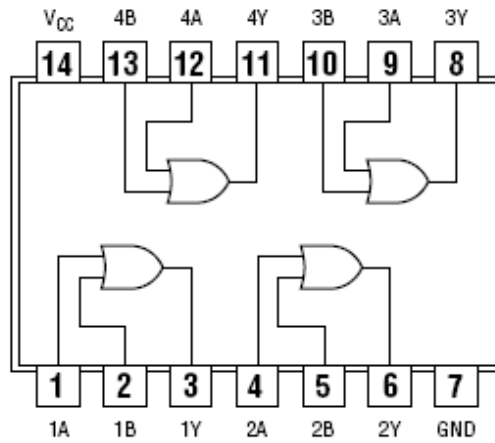


Figure 5: OR

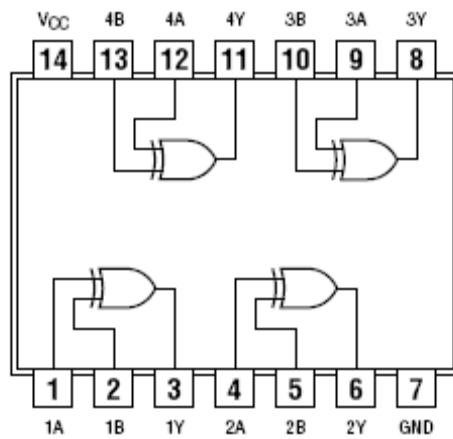


Figure 6: XOR

## Experiment No. 2

### Objective

To verify De-Morgan's laws and verification of Boolean Laws and Rules.

### Components & Apparatus Required

Bread board/Digital Logic Trainer

5 V -DC Power Supply

Logic probe

ICs 7410, 7427, 7432, 7408 & 7404

### Theory

In Boolean algebra, the two De Morgan's laws are very important as these play key role in manipulating logic functions into SOP/POS forms. For two inputs, these laws are:

$$\overline{AB} = \overline{A} + \overline{B}$$

$$\overline{A + B} = \overline{A} \cdot \overline{B}$$

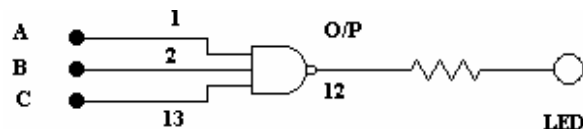
In this experiment, you will using 3-input NAND and NOR gates to verify De Morgan's laws for three inputs

### Procedure & Observations

Using 3-input NAND gate & NOT+OR gates to verify:

$$\overline{ABC} = \overline{A} + \overline{B} + \overline{C}$$

1. Take IC 7410 triple 3-inputs NAND gate and insert it in bread board/Digital logic trainer.
2. Connect the circuit as shown below by connecting the DC supply (5V) and ground to pin#14 and 7 and logic inputs A, B and C to pin# 1, 2 and 13. Then take output from pin# 12.



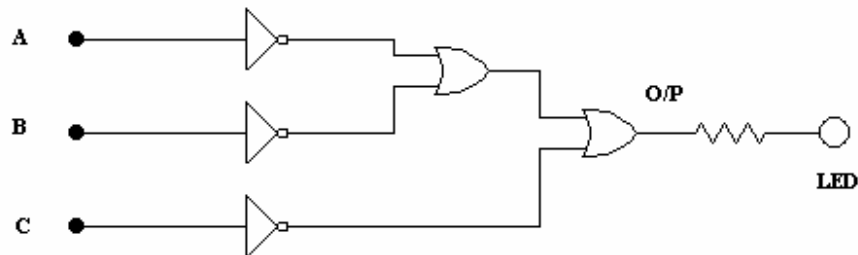
3. In Boolean form this output is  $\overline{ABC}$ .
4. Change inputs according to the table below and record your observations in observation table 2.1

5. Now implement Boolean function  $\overline{A + B + C}$  using NOT and OR gates.

6. Connect the circuit show below by using NOT and OR gates ICs (refer to ICs internal diagram provided at the end of experiment manual) on bread board/ Digital Logic Trainer.

**Observation Table 2.1**

Input A	Input B	Input C	<u>Output</u> <u>ABC</u>
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	



7. Apply the logic inputs A, B, and C to the circuit and record your observations in the following tables.

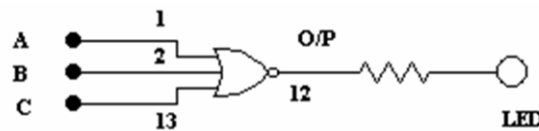
**Observation Table 2.2**

Input A	Input B	Input C	<u>Output</u> <u>A + B + C</u>
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

You will agree that the outputs of two tables are same. Hence De- Morgan's law is verified.

**Using 3-inputs NOR Gate and NOT+AND gates to verify that:**  $\overline{A + B + C} = \overline{A} \cdot \overline{B} \cdot \overline{C}$

1. Take IC 7427 triple 3-inputs NOR gate and insert it in bread board/Digital logic trainer.
2. Connect the circuit as shown below by connecting the DC supply (5V) and ground to pin#14 and 7 and logic inputs A, B and C to pin# 1, 2 and 13. Then take output from pin# 12.

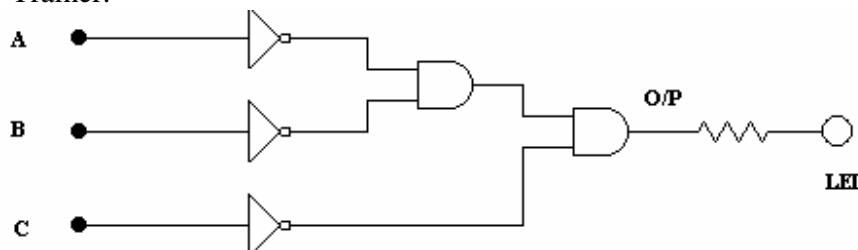


3. In Boolean form this output is  $\overline{A + B + C}$ .
4. Change inputs according to the table below and record your observations:

**Observation Table 2.3**

Input A	Input B	Input C	Output $\overline{A + B + C}$
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

5. Now implement Boolean function  $\overline{A} \cdot \overline{B} \cdot \overline{C}$  using NOT and AND gates.
6. Connect the circuit show below by using NOT and AND gates ICs (refer to ICs internal diagram provided at the end of experiment manual) on bread board/ Digital Logic Trainer.



7. Apply the logic inputs A, B, and C to the circuit and record your observations in the following tables:

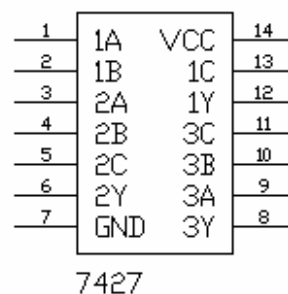
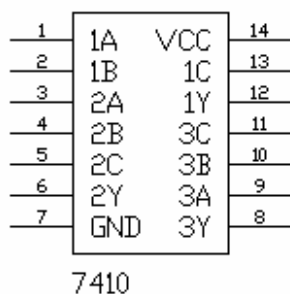
**Observation Table 3.4**

Input A	Input B	Input C	Output $\overline{A \cdot B \cdot C}$
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

You will agree that the outputs of two tables are same. Hence De-Morgan's law is verified.

3-Input NAND Gate IC(7410)

3-Input NOR Gate IC(7427)



**Task 2.1: Verify and implement the following:**

1.  $A + AB = A$
2.  $A(B+C) = AB + AC$

## Experiment No. 3

### Objective

Design and implement Half and Full Adder using combinational logic.

### Components and Apparatus Required

1. Following ICs and their Datasheets:
  - I. 7408 Quad 2-input AND Gate.
  - II. 7432 Quad 2-input OR Gate.
  - III. 7486 Quad 2-input XOR Gate
2. Bread board/Digital Trainer.
3. 5 V - Power Supply.
4. Multimeter.
5. Logic Probe.
6. LEDs with Resistors.
7. Connecting wires.

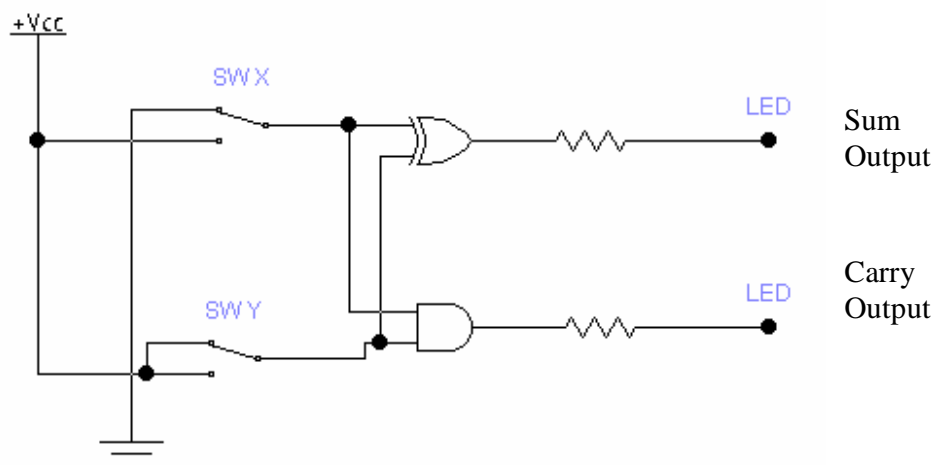
### Theory

#### Half Adder

A combinational circuit that performs the addition of two bits without accounting for the previous carry is called half adder. It needs two binary inputs and two binary outputs. The input variables designate the augends and addend bits. The output variables produce the sum and carry. The simplified sum of product is an expression for a half adder.

$$S = x \oplus y$$

$$C = xy$$

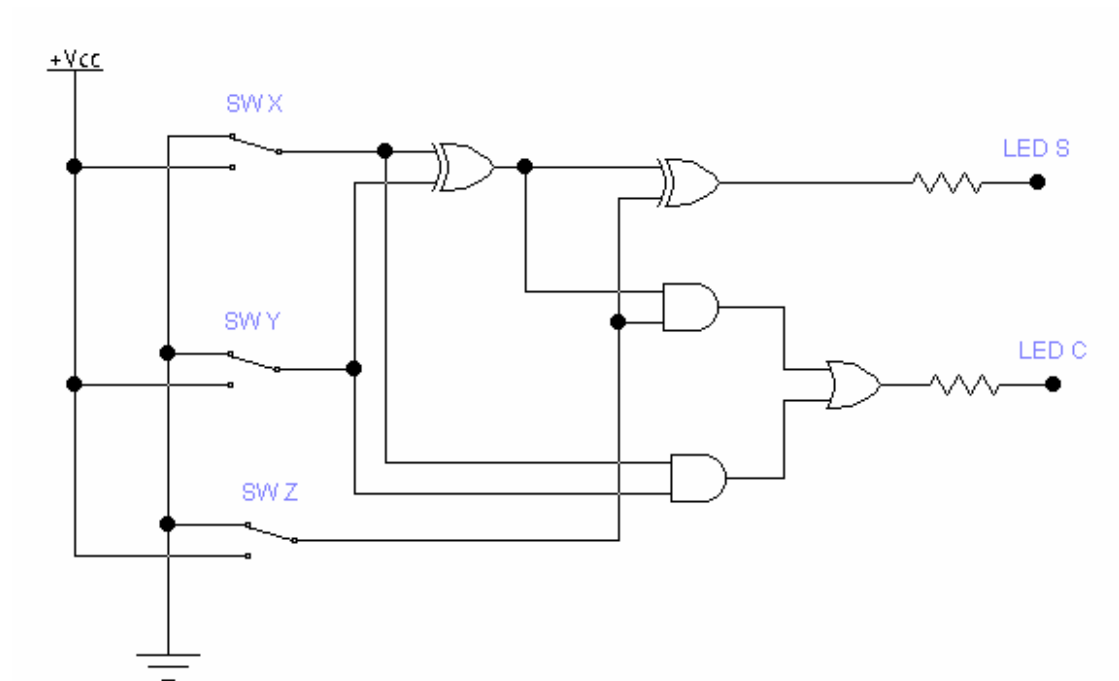


**Full Adder**

Full adder is the combinational circuit that performs the addition of three input bits. It consists of three inputs and two outputs. Two of the input variables, represent the two significant bits to be added. The third input, represents the carry from the previous lower significant position. The output variables produce the sum and carry. The simplified sums of product expressions for a half adder are:

$$S = x \oplus y \oplus z$$

$$C = (x \oplus y) z + x y$$



## Implementation & Observation

Implement the half adder and full adder circuits on a bread board or digital trainer (prepare the pin diagram; refer to laboratory session 01 for procedure) and record the observations in the following tables:

### Half Adder

Inputs		Outputs	
X	Y	Carry	Sum
0	0		
0	1		
1	0		
1	1		

### Full Adder

Inputs			Outputs	
X	Y	Z	Carry	Sum
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

*Task 3.1:* Design a 2 bit parallel full adder.



## Experiment No 4

### Objective

Implementation of 4 variable Karnaugh-Map (SOP).

### Given Logic Expression

$$F(A, B, C, D) = \sum (0, 1, 2, 4, 5, 6, 8, 9, 12, 13, 14)$$

### Components and Apparatus Required

Bread board  
5 V – Power supply  
Multimeter.  
logic probe  
LEDs with resistors.  
Connecting wires.

### Following Digital ICs and their Datasheets

7408 Quad 2-input AND Gate  
7432 Quad 2-input OR Gate  
7404 Hex Inverter

### Procedure

1. Construct the truth table of given logic expression.
2. Use Karnaugh- map to reduce the given function.
3. Draw the circuit diagram for the obtained reduced function.
4. Implement the reduced circuit using digital ICs on a bread board.
5. Observe the output and record it in the observation table and check it with the truth table.

### Reduction Of Logic Of Expression Using Karnaugh Map

	$\overline{C} \ \overline{D}$	$\overline{C} \ D$	$C \ D$	$C \ \overline{D}$
$\overline{A} \ \overline{B}$				
$\overline{A} \ B$				
$A \ B$				
$A \ \overline{B}$				

### Logic Diagram (Reduced Form)

### Result

The reduced form (SOP Expression) of the given logic function is:

\_\_\_\_\_

**Constructed Truth Table**

A	B	C	D	Expected	Observed
0	0	0	0		
0	0	0	1		
0	0	1	0		
0	0	1	1		
0	1	0	0		
0	1	0	1		
0	1	1	0		
0	1	1	1		
1	0	0	0		
1	0	0	1		
1	0	1	0		
1	0	1	1		
1	1	0	0		
1	1	0	1		
1	1	1	0		
1	1	1	1		

***Task 4.1:*** Use the Karnaugh Map (**POS Expression**) to reduce the logical expression

$$F(A, B, C, D) = \Pi(0, 1, 2, 4, 5, 6, 8, 9, 12, 13, 14)$$

**Task Result:**

The reduced form (POS Expression) of the given logic function is:

\_\_\_\_\_

## Experiment No. 5 (a)

### Objective

- To convert given binary numbers to gray codes

### Components & Apparatus Required

Bread board/Digital Trainer  
 5V power supply  
 Multimeter/ Logic probe  
 LEDs with Resistors  
 IC 7486  
 Connecting wires

### Theory:

**Gray code** is an unweighted code that has a single bit change between one code word and the next in a sequence. Gray code is used to avoid problems in systems where an error can occur if more than one bit changes at a time. 4-Bit Gray codes are listed below, along with equivalent binary and decimal numbers.

DECIMAL	BINARY	GRAY CODE	DECIMAL	BINARY	GRAY CODE
0	0000	0000	8	1000	1100
1	0001	0001	9	1001	1101
2	0010	0011	10	1010	1111
3	0011	0010	11	1011	1110
4	0100	0110	12	1100	1010
5	0101	0111	13	1101	1011
6	0110	0101	14	1110	1001
7	0111	0100	15	1111	1000

**Binary-to-Gray Code Conversion** is explained by the following rules:

- The MSB-most significant bit (left-most) in the Gray code is kept the same as the corresponding MSB in the binary number.
- Going from left to right, add each adjacent pair of binary code bits to get the next Gray code bit, discard carries. For example, the conversion of the binary number 10110 to Gray code is as follows:

$$\begin{array}{cccccc}
 1 & - & + & \rightarrow & 0 & - & + & \rightarrow & 1 & - & + & \rightarrow & 1 & - & + & \rightarrow & 0 & & \text{Binary} \\
 \downarrow & & & & \downarrow & & & & \downarrow & & & & \downarrow & & & & \downarrow & & \\
 1 & & & & 1 & & & & 1 & & & & 0 & & & & 1 & & \text{Gray}
 \end{array}$$

To convert from **Gray code to binary**, use a similar method; however, there are some differences. Apply the following rules:

- The most significant bit (left-most) is same in both codes.
- Add each binary code bit generated to the Gray code bit in the next adjacent position. Discard carries. For example, the conversion of the Gray code word 11011 to binary is:

$$\begin{array}{cccccc}
 1 & & 1 & & 0 & & 1 & & 1 & & & & & & & & & & \text{Gray} \\
 \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \downarrow & \nearrow & \\
 1 & & 0 & & 0 & & 1 & & 0 & & & & & & & & & & \text{Binary}
 \end{array}$$

### Procedure:

- The circuit connections are made as shown in fig.
- In the case of binary to gray conversion, the inputs B0-B3 are given at respective pins and outputs G0-G3 are taken for all the 16 combinations of the input.
- In the case of gray to binary conversion, the inputs G0-G3 are given at respective pins and outputs B0-B3 are taken for all the 16 combinations of inputs.
- The values of the outputs are tabulated.

**Circuit Diagram: -**

The circuit connections are made as shown in figure below; the circuit demonstrates 4-bit Binary to Gray conversion, and vice versa.

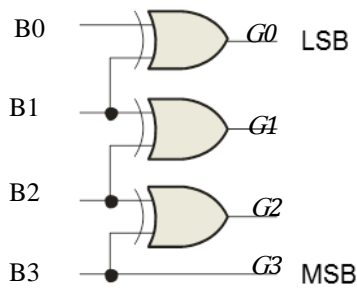


Figure (a): Binary to Gray conversion  
Using XOR gate (7486)

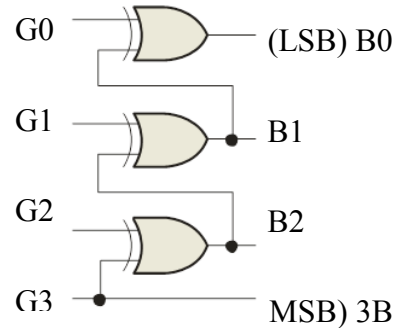


Figure (b): Gray to Binary conversion  
Using XOR gate (7486)

Truth Table For Both: -

Inputs				Outputs			
B3	B2	B1	B0	G3 (V)	G2 (V)	G1 (V)	G0 (V)
0	0	0	0	0	0	0	0
0	0	0	1	0	0	0	1
0	0	1	0	0	0	1	1
0	0	1	1	0	0	1	0
0	1	0	0	0	1	1	0
0	1	0	1	0	1	1	1
0	1	1	0	0	1	0	1
0	1	1	1	0	1	0	0
1	0	0	0	1	1	0	0
1	0	0	1	1	1	0	1
1	0	1	0	1	1	1	1
1	0	1	1	1	1	1	0
1	1	0	0	1	0	1	0
1	1	0	1	1	0	1	1
1	1	1	0	1	0	0	1
1	1	1	1	1	0	0	0

**Conclusion:**

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## Experiment No. 5 (b)

### Objective

Designing an Odd Parity Generator and Checker for a 3-bit Data

### Components & Apparatus Required

Bread board/Digital Trainer  
 5 V - Power Supply  
 Multimeter  
 Logic Probe  
 LEDs with Resistors  
 Connecting wires

### Following ICs and their Datasheets:

7486 Quad 2-input Exclusive-OR Gates  
 7404 Hex Inverter

### Theory

#### Parity Generator

When binary data is transmitted and processed (like all electrical signals, it is also susceptible to noise and contents can be altered or distorted), it may be effectively changed from 1s to 0s and vice versa. To overcome this problem one or more bits are often added to data as an aid in detecting errors caused by noise. The most common of these is a parity bit that signifies whether the total number of 1s in a code group is odd or even. In an odd parity system the parity bit is made 0 or 1 as necessary to make the total number 1s odd. Table 6.1 shows how parity bits would be added to BCD code group in both systems.

Decimal	BCD Value	Parity Bit	
		Even parity	Odd parity
0	0000	0	1
1	0001	1	0
2	0010	1	0
3	0011	0	1
4	0100	1	0
5	0101	0	1
6	0110	0	1
7	0111	1	0
8	1000	1	0
9	1001	0	1

Table 1: *Odd and Even Parity in BCD*

When digital data is received, a parity checking circuit generates an error signal if the total number of 1s odd in an even parity system or if it is even in an odd parity system. Parity check always detects a single error (one bit change from 0 to 1 or 1 to 0) but may not detect two or more errors. Odd parity is used more often than even parity because even parity does not detect a situation where all 0s are created due to short circuit or other fault condition.

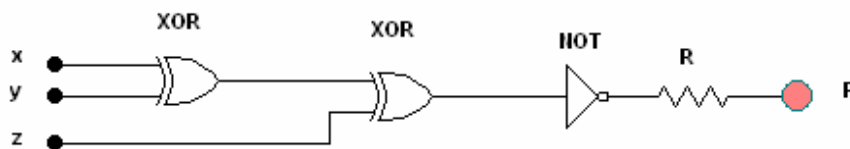
### Design Of A 3-BIT Odd Parity Generator & Checker

Let  $x$ ,  $y$ , and  $z$  be the three bits that constitute the message and are the input to the “Odd Parity Generator Circuit”. Since it is an odd parity system, the bit  $P$  is generated so as to make the total number of 1s odd (including  $P$ ). The function  $P$  can be expressed as follows:

$$P = \overline{(x \oplus y \oplus z)}$$

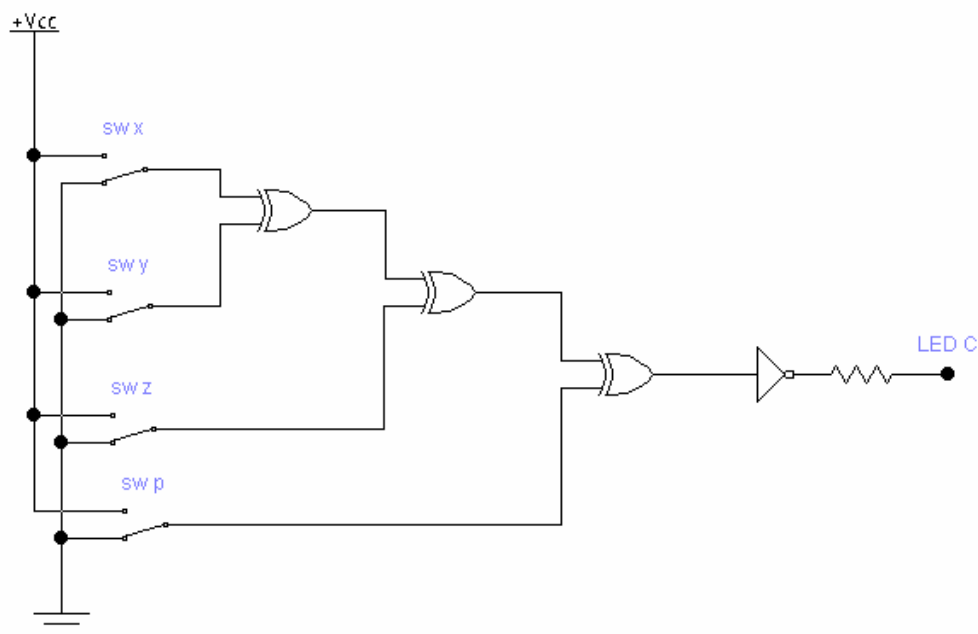
Therefore, we can implement  $P$  with a 3-variable XNOR gate. Of course, if a 3 input XNOR gate is unavailable then it can easily be replicated by 2 XOR gates in 7486 and an inverter (7404).

(HINT: XOR is associative, like AND or OR, so  $(x \oplus y) \oplus z = x \oplus y \oplus z$ . The circuit of the above logic equation is given by:



The 3-bit message and the parity bit are transmitted to their destination, where they are applied to a Parity Checker Circuit. An error occurs during transmission if the parity of the four bits received is even, since the binary information transmitted was originally odd. The output  $C$  of the parity checker should be a 1 when an error occurs, i.e., when the number of 1s in the four inputs is even. Therefore, the function  $C$  can be expressed as:

$$C = \overline{(x \oplus y \oplus z \oplus P)}$$



## Implementation & Observation

Implement the 3-bit Generator and checker circuits on a bread board/Digital Trainer (prepare the pin diagram and refer to laboratory session 01 for implementation procedure) and record the observations in the following table:

X	Y	Z	P
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

**Odd parity generation**

X	Y	Z	P	C
0	0	0	0	
0	0	1	1	
0	1	0	0	
0	1	1	1	
1	0	0	0	
1	0	1	1	
1	1	0	0	
1	1	1	1	

**Odd parity check**

Task 1: Design an 8 bit even parity generator.



## Experiment No. 6

### Objective

- Designing of a 4x2 Priority Encoder
- Experimenting with 74148IC Octal (8x3) Priority Encoder.

### Components & Apparatus Required

Bread board/Digital Trainer  
 5v power supply  
 Multimeter  
 Logic probe  
 LEDs with Resistors  
 Connecting wires,

### Following ICs and their Datasheets:

74148 8 x 3 octal priority encoder  
 7408 Quad 2-input or 7421 Dual 4-input AND Gates  
 7432 Quad 2-input OR Gates  
 7404 Hex Inverter.

### Theory

#### Encoder

An encoder is a digital function that produces a reverse operation from that of a decoder. An Encoder has  $2^n$  (or less) inputs lines and n output lines. The output lines generate the binary code for the  $2^n$  inputs variables.

#### Priority Encoder

A simple encoder may produce an erroneous output if more than one of its inputs is high. A Priority Encoder is one that responds to just one input among those that may be simultaneously high, in accordance with some priority system. The most common priority system is based on the relative magnitudes of the inputs: whichever decimal input is largest, is the one that is encoded.

#### Design of a 4 X 2 Priority Encoder

The following equations represent the outputs of a 4 x 2 priority encoder:

$$A = D_2 + D_3$$

$$B = \overline{D_1}D_2 + D_3$$

As can be seen from the equations that input  $D_0$ , which has a binary code 00, is not used in any equation. A binary code 00 at the output indicates two conditions: Either  $D_0$  is selected or no input is selected. In order to differentiate these two conditions, we will provide an additional output, Z to indicate if at least one of the inputs is a 1. The equation for Z will be:

$$Z = D_0 + D_2 + D_3 + D_4$$

If Z is 1, then the binary code 00 at the output indicates that  $D_0$  is selected and if Z is 0, then it indicates that no input line is selected.

**Logic Implementation:**

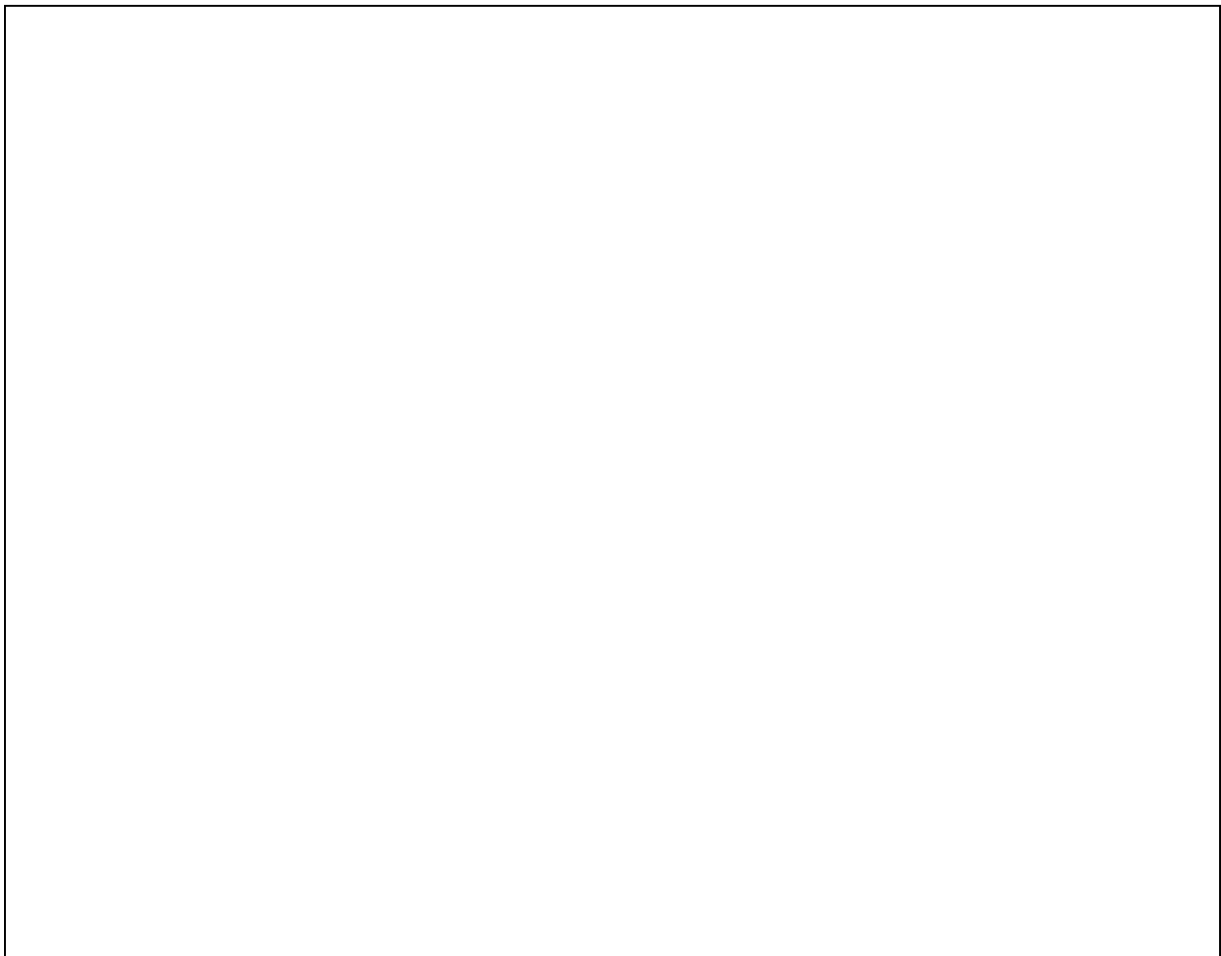


Figure 6.1

### Implementation & Observations

Implement the 4 x 2 priority encoder circuit figure 6.1 on bread board (prepare the pin diagram; refer to laboratory session #01 for implementation procedure) and record the observation in the following table:

D <sub>3</sub>	D <sub>2</sub>	D <sub>1</sub>	D <sub>0</sub>	Expected			Observed		
				A	B	Z	A	B	Z
0	0	0	0	0	0	0			
0	0	0	1	0	0	1			
0	0	1	X	0	1	1			
0	1	X	X	1	0	1			
1	X	X	X	1	1	1			

**Task 6.1: Design a 4x2 Priority encoder having priority system based on the relative magnitudes of the inputs: whichever decimal input is smallest is the one that is encoded.**

#### Task 6.2: Testing of 74148 8 x 3 octal priority Encoder

The 74148 is a priority encoder with active-Low input for decimal digits. There are nine inputs lines (including an enable input) and five output lines, of which three represents the binary code for the octal digit. Function of various pins of this IC is described below:

- 0 through 7: Active low data inputs representing the octal digits.
- A<sub>2</sub>, A<sub>1</sub>, A<sub>0</sub>: Active low output lines representing the binary code
- E<sub>1</sub>: Active low enable Input
- E<sub>0</sub>: Active low output indicating none of the inputs is high
- GS: Active low output indicating any of the inputs is high
- VCC and GND: Supply connections; lines

Therefore if GS, A<sub>2</sub>, A<sub>1</sub>, and A<sub>0</sub> are all low, then it shows that line 0 is selected and if E<sub>0</sub>, A<sub>2</sub>, A<sub>1</sub>, and A<sub>0</sub> are all low then it shows that none of the inputs selected. E<sub>0</sub> and GS cannot be in the same state provided that E<sub>1</sub> is enabled.

Pin Configuration:

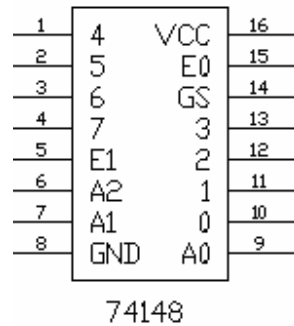


Figure 6.2: Pins of 74148

### Testing Procedure

- Make connections according to the above explanation.
- Apply different combinations of 1s and 0s at data inputs.
- Observe the output and record your observations in the following table.

### Observation

Inputs									Expected Output Values					Observed Output				
E1	0	1	2	3	4	5	6	7	A2	A1	A0	GS	E0	A2	A1	A0	GS	E0
1	X	X	X	X	X	X	X	X	0	0	0	0	0					
0	1	1	1	1	1	1	1	1	0	0	0	1	0					
0	X	X	X	X	X	X	X	0	0	0	0	0	1					
0	X	X	X	X	X	X	0	1	0	0	1	0	1					
0	X	X	X	X	X	0	1	1	0	1	0	0	1					
0	X	X	X	X	0	1	1	1	0	1	1	0	1					
0	X	X	0	1	1	1	1	1	1	0	1	0	1					
0	X	0	1	1	1	1	1	1	1	1	0	0	1					
0	0	1	1	1	1	1	1	1	1	1	1	0	1					

## Experiment No. 7

### Objective

- Designing of a 2x4 Decoder / 1x4 De-multiplexer
- Experimenting with 74138IC.

### Components & Apparatus Required

Bread board/Digital Trainer  
5 V - Power Supply  
Multimeter  
Logic Probe  
LEDs with Resistors  
Connecting Wires

### Following ICs and their Datasheets

7408 Quad 2-input or 7411 Triple 3-input AND Gates  
7404 Hex Inverter  
74138 3x8 Decoder

### Theory

#### Decoder

A Decoder is a combinational circuit that converts binary information from 'n' input lines to a maximum of  $2^n$  unique output lines. In practical applications, decoders are often used for selecting one of several devices.

#### De-Multiplexer

A decoder with an enable input can function as a Demultiplexer. A Demultiplexer (DMUX) is a circuit that receives information on a single line and transmits this information on one of  $2_n$  possible output lines. The selection of a specific output line is controlled by the bit values of 'n' selection lines.

#### Design Of 2 x 4 Decoder / 1 x 4 De-multiplexer

A 2 x 4 decoder is capable of selecting one of four output lines (see figure 1 (a)). The 2-bit binary numbers at the data inputs,  $S_i$  and  $S_o$ , specifies which of the four data inputs is to be selected. If we add an enable pin and use it as an input line, then this decoder can be converted to a 1 x 4 Demultiplexer, where  $S_i$  and  $S_o$  will select a line to which data input is to be routed (see figure 1 (b)).

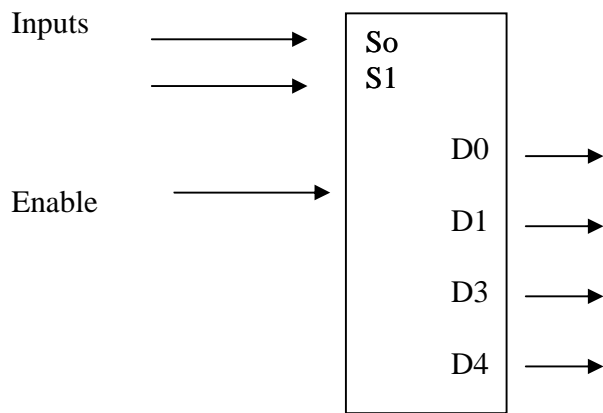


Fig 1(a)

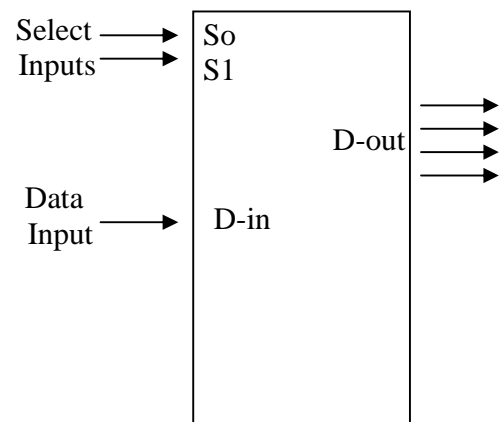


Fig 1(b)

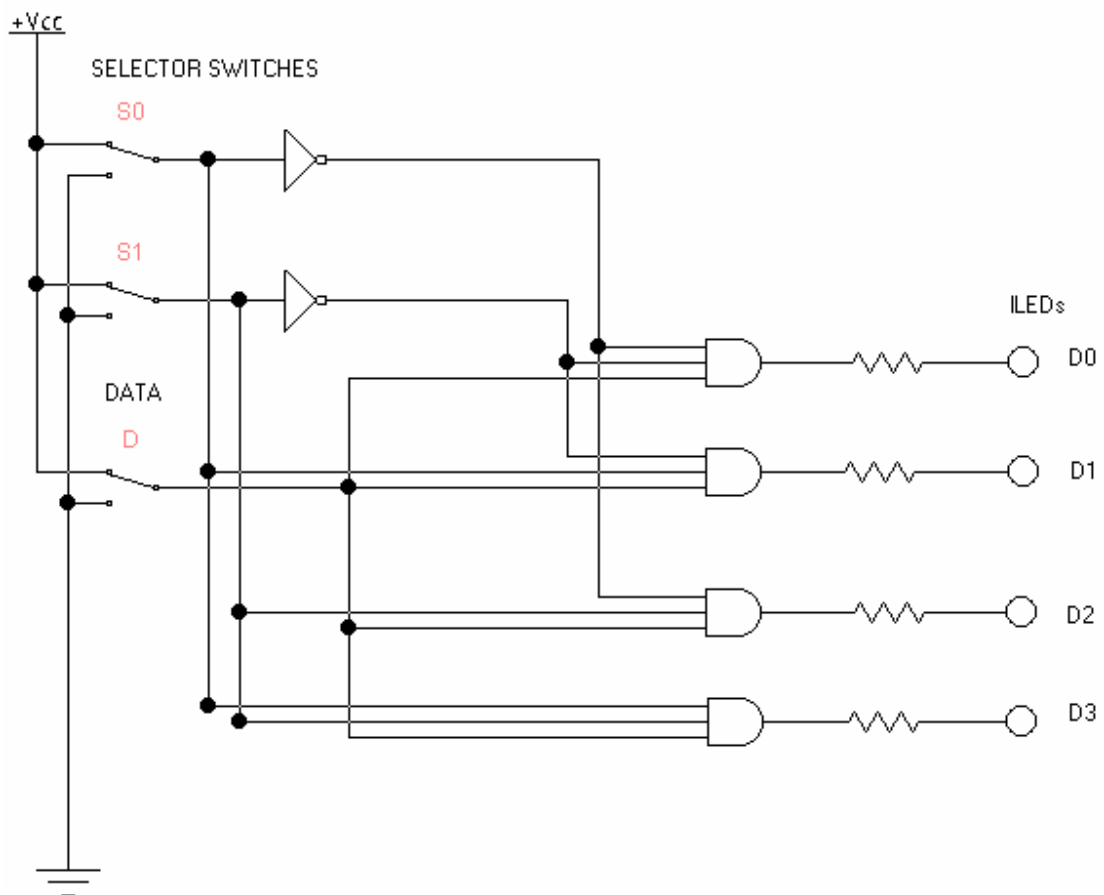


Figure 2: Circuit Diagram for 2 x 4 Decoder/ 1 x 4 Demultiplexer

### Implementation & Observations

Implement the 2x4 Decoder /1 x 4 De multiplexer circuit (figure 2) on a bread board (prepare the pin diagram by referring to laboratory session 1 for implementation procedure) and record the observations in the following table.

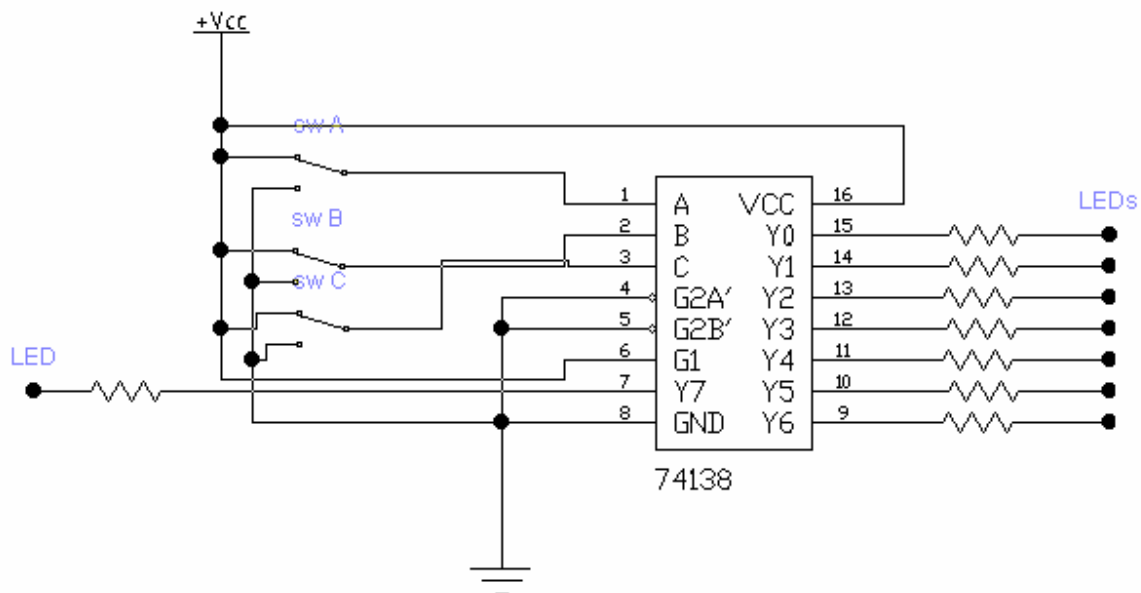
Enable / Data Input	S <sub>1</sub>	S <sub>0</sub>	Do	D1	D2	D3
0	0	0				
0	0	1				
0	1	0				
0	1	1				
1	0	0				
1	0	1				
1	1	0				
1	1	1				

### Testing Of 74138 3 x 8 Decoder

The 74138 IC has three inputs and eight output lines. It has three enable inputs and for IC to function all three inputs need to be enabled. Function of various pins of this IC is described below

1. Y0 through Y7: Active low data outputs
2. A, B, C: Input / select lines with C being the MSB
3. G1: Active high enable Input
4. G2A' and G2B': Active low enable Inputs
5. VCC and GND: Supply connections line

### Circuit Diagram



### Testing Procedure

1. Make connections as shown in the circuit diagram.
2. Apply different combinations of 1s and 0s at data inputs
3. Observe the output and record your observations in the following table.

### Observation

C	B	A	Y0	Y1	Y2	Y3	Y4	Y5	Y6	Y7
0	0	0								
0	0	1								
0	1	0								
0	1	1								
1	0	0								
1	0	1								
1	1	0								
1	1	1								

Task 1: Design 1x4 Demultiplexer using logic gates.



## Experiment No. 8

### Objective

- Designing of a 4x1 Multiplexer
- Experimenting with 74151 IC.

### Components & Apparatus Required

1. Following ICs and their Datasheets:
  - I. 7411 Triple 3-input AND Gates.
  - II. 7432 Quad 2-input OR Gates.
  - III. 7404 Hex Inverter.
  - IV. 74151 8 x 1 MUX
2. Bread board/Digital Trainer.
3. 5V power supply.
4. Multimeter.
5. Logic Probe.
6. LEDs with Resistors
7. Connecting wires.

### Theory

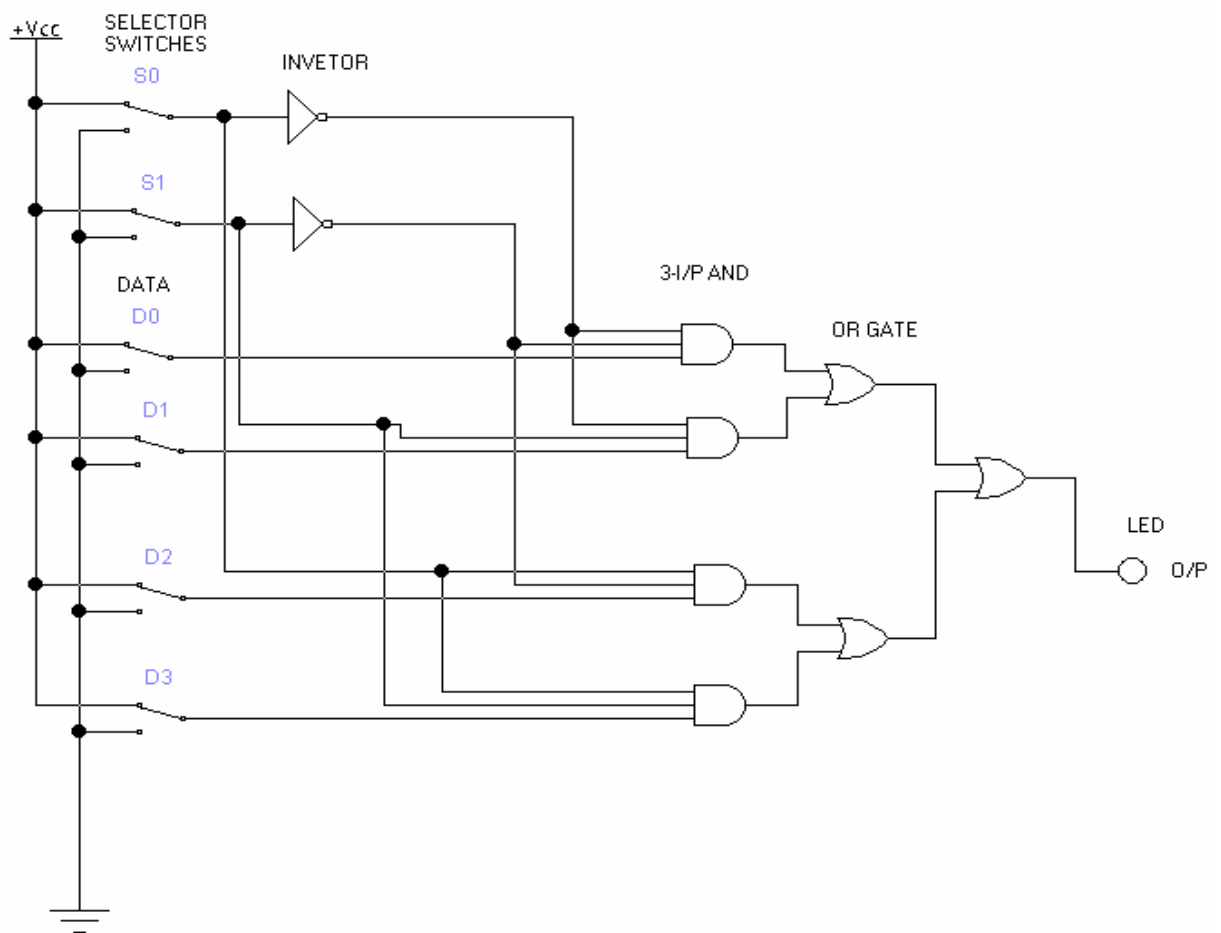
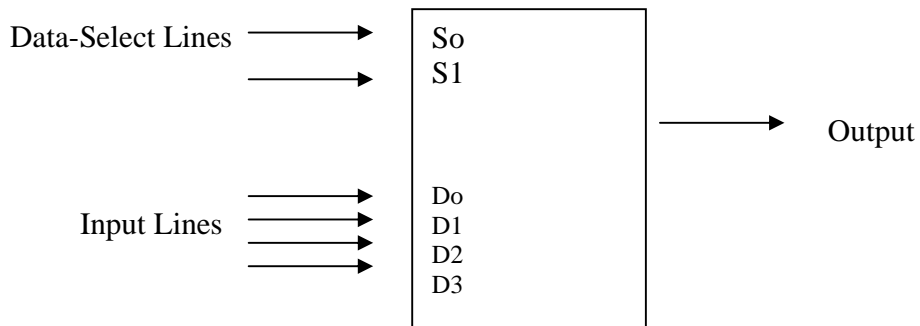
#### Multiplexers

A digital data Multiplexer (MUX) is a combinational circuit having several data inputs and a single output. A set of data-select inputs is used to control when of the data an input is routed to the single output. A multiplexer is also called a data selector because of this ability to select which data input is connected to the output. Normally there are  $2^n$  input lines and n selection lines whose bit combination determine which input is selected.

#### Design Of 4 x 1 Multiplexer

A 4 x 1 multiplexer is capable of selecting one of four data inputs (see figure 1). The 2-bit binary number at the data select inputs,  $S_1$  and  $S_0$ , specifies which of the four data inputs is to be routed to the output. Since there are two data select inputs, therefore they can select  $2^2 = 4$  different data inputs lines.

**Figure1**



**Figure 2**

### Procedure

Implement the 4x1 Multiplexer circuit on a bread board/Digital Trainer as shown in figure 2; prepare the pin diagram (by referring to laboratory session 01 for implementation procedure for NOT, AND and OR gates) and record the observations in the following, table. For each data select combination, specify the switch number as well as the binary value present on that selected switch.

### Observation

D <sub>3</sub>	D <sub>2</sub>	D <sub>1</sub>	D <sub>0</sub>	S <sub>1</sub>	S <sub>0</sub>	OUTPUT
0	1	0	1	0	0	
0	1	0	1	0	1	
0	1	0	1	1	0	
0	1	0	1	1	1	
1	0	1	0	0	0	
1	0	1	0	0	1	
1	0	1	0	1	0	
1	0	1	0	1	1	

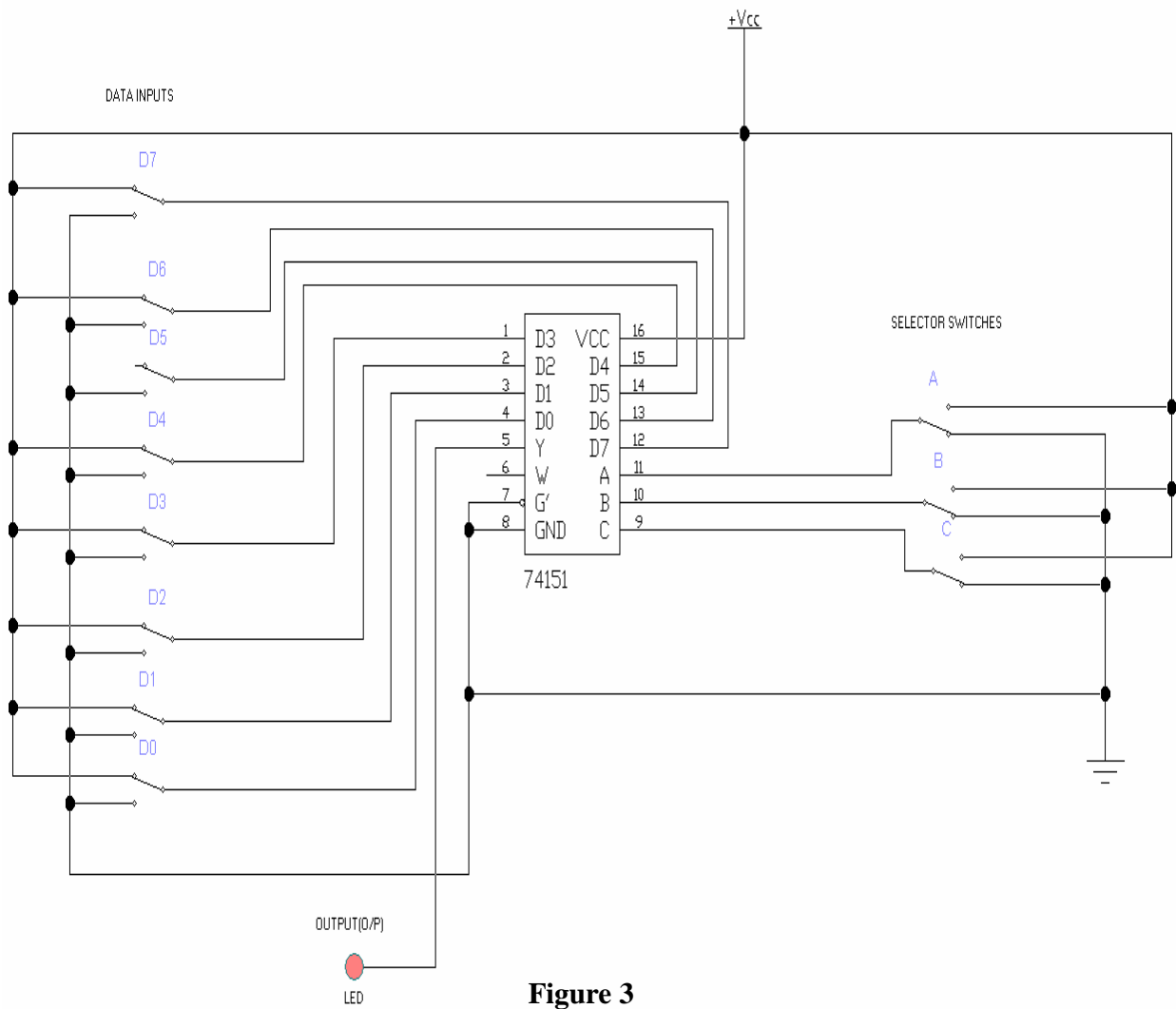
### **Task 1:** TESTING OF 74151A -8 x 1 MUX

The 74151A IC has eight data inputs and three data-selection lines. Function of various pins of this IC is described below:

1. D<sub>0</sub> through D<sub>7</sub>: Data input lines
2. A, B, C, : Data select lines with C being the MSB
3. Y: Output line.
4. W: Inverted output line.
5. G': Active low enable line
6. VCC and GND: Supply connections lines

#### **Testing Procedure**

1. Make connections as shown in the figure 3 on bread board/Digital Trainer.
2. Select the data input D<sub>0</sub> (applied both 0 & 1) with the help of data selectors A, B, and C.
3. Apply different data (1 or 0) at data inputs that are labeled as D<sub>0</sub> to D<sub>7</sub>.
4. Observe the output, which shows the data from D<sub>0</sub>.
5. Select all the eight data inputs one by one and record your observations in the following table.



**Figure 3**

Draw the Truth-Table for the above circuit and observe reading.

## Experiment No. 9

### Objective

Design RS Latch Using NAND gate, testing of JK flip-flop and develop D- Flip-Flop using JK FF and T- Flip-Flop using JK FF.

### Components & Apparatus Required

Digital logic trainer / Bread board  
 5 V - Power Supply  
 Multimeter  
 Logic Probe  
 LEDs with Resistors  
 Connecting wires

### Following ICs and their Datasheets:

7473 / 7476 JK Flip-Flop

### Theory

#### Latch

A Latch circuit can maintain a binary state indefinitely (as long as the power is delivered to the circuit) until directed by an input signal to switch states. The major differences among various types of Latches are in the number of inputs they possess and in the manner in which the inputs affect the binary state. The figure of SR latch is given in figure below.

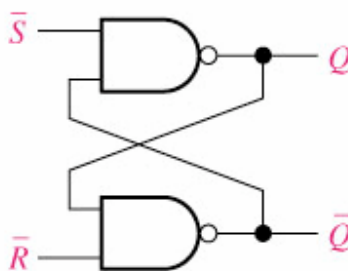


Figure 1: SR Latch

#### JK Flip-Flop

JK flip-flop is an edge triggered device. A typical flip flop has three inputs: J, K and a clock input. The flip-flop can be either positive or negative edge triggered. The output Q is available in complemented form as well.

Beside the usual inputs and output, most of the flip-flop IC also possess two asynchronous inputs, namely preset and Clear. These inputs are usually active low. If used Preset and Clear inputs keep the flip-flop in set and reset state respectively, irrespective of the other inputs. Both of these inputs cannot be used simultaneously, otherwise they will bring the flip-flop in unstable state.

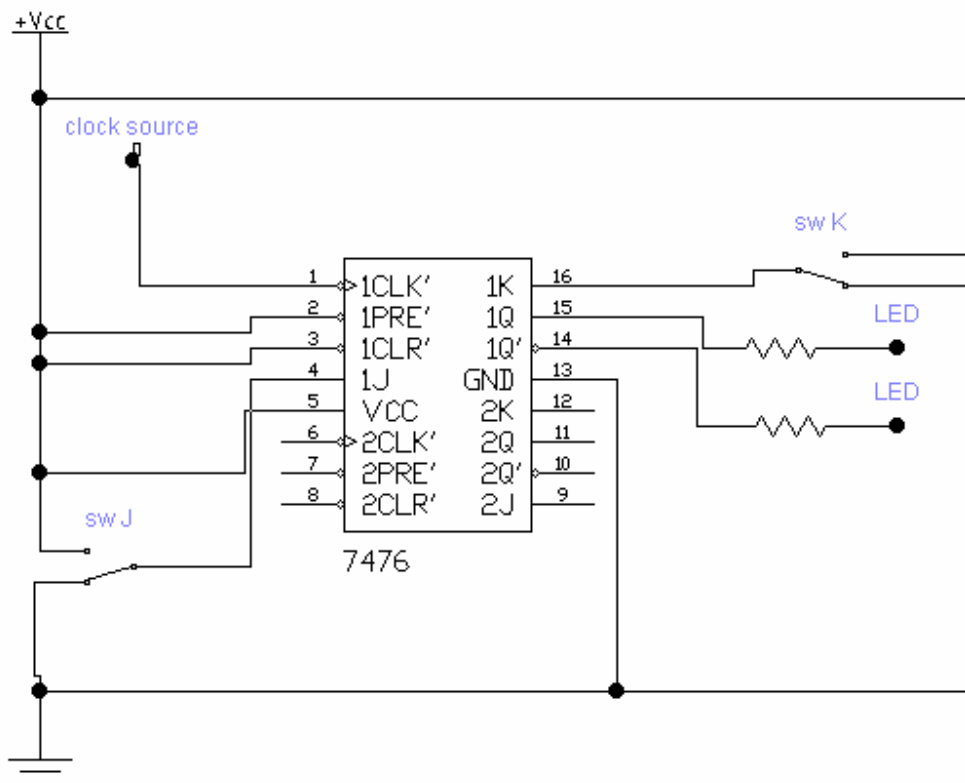
- Positive-edge triggering
- Active low Preset (PR) and Clear (CLR) with positive-edge triggering
- Active low Preset (PR) and Clear (CLR) with negative-edge triggering



**Testing Of 7473 / 7476 Dual JK Flip-Flop**

Both the ICs 7473 and 7476 are similar in functionality except for one difference. The flip-flops in 7473 have only one type of active low asynchronous input, which is the Clear input, whereas the flip-flops in 7476 have both preset and Clear inputs. Both these ICs have negative edge triggered flip-flops.

**Circuit Diagram**



**Figure 2:** Pin connections of 7476

**Testing Procedure**

1. Make connections as shown in the diagram (Figure 1 and Figure 2).
2. Apply different combinations of 1s and 0s at S and R inputs
3. Apply different combinations of 1s and 0s at J and K inputs
4. Observe the output and record your observations in the following table.

**Observations**

<b>S</b>	<b>R</b>	<b>Q</b>
<b>0</b>	<b>0</b>	
<b>0</b>	<b>1</b>	
<b>1</b>	<b>0</b>	
<b>1</b>	<b>1</b>	

<b>J</b>	<b>K</b>	<b>Q</b>
<b>0</b>	<b>0</b>	
<b>0</b>	<b>1</b>	
<b>1</b>	<b>0</b>	
<b>1</b>	<b>1</b>	

*Task 12.1:* Design a D-Flip Flop using JK-Flip Flop.

## Experiment No. 10

### Objective

To study the working of 4-bit Up/Down counter using IC 74193.

### Components & Apparatus Required

Digital logic trainer / Bread board.

DC Power supply (5V & 0V).

Logic probe.

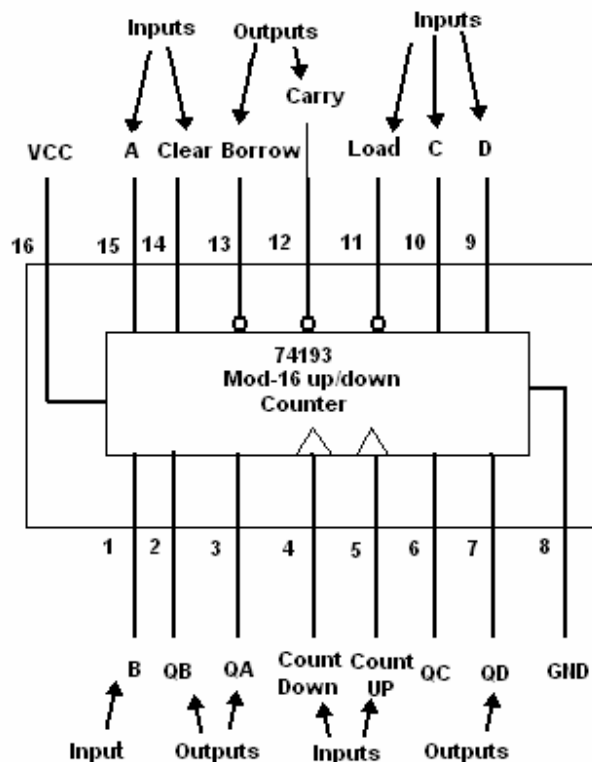
IC 74193 (1No.).

### Theory

In this experiment, you will observe the working of synchronous 4-bit binary UP/DOWN counter IC. You will see how counter can be preset to a number and can be made count from there both upward and downward. You will also see how counters also act as frequency dividers.

#### Procedure & Observations

1. Connect the circuit as shown below.





2. Connect the clear input (pin#14) to logic High and observe the outputs of counter (pin#7,6,2,3) by connecting them to Logic probe (or LEDs).

$Q_D, Q_C, Q_B, Q_A =$  \_\_\_\_\_

Connect pin#14 back to logic low.

3. Connect the data inputs (D, C, B, A i.e. pin#9, 10, 1, 15) to logic 0110.
4. Now, activate the LOAD input (pin#11) by connecting it to logic Low (0V).  
What do you observe at the outputs (pin#7,6,2,3).

$Q_D, Q_C, Q_B, Q_A =$  \_\_\_\_\_

You will see that the counter will be preset to the data loaded into it (0110).  
Connect Load input back to logic High (5V).

5. At the count UP clock input (pin#5) connect the pulse-wave output of frequency 1 Hz.  
Now what do you observe?

6. Observe the output at carry (pin#12). How will you relate this output to the four outputs  $Q_D, Q_C, Q_B, Q_A$ ?

7. Now change the pulse-wave output of frequency 1 Hz from the count UP clock input (pin#5) to the count DOWN clock input (pin#4).  
What do you observe at the outputs?

8. Observe the output at Borrow (pin#13). How will you relate this output to the four outputs  $Q_D$ ,  $Q_C$ ,  $Q_B$ ,  $Q_A$ ?

9. Now set the square-wave generator frequency at 10 KHz and voltage at 5V then connect its output to pin#4. Observe the signal at pin#4 and pin#13 on oscilloscope Ch-1 & 2 and measure the frequency of both outputs.

$$F_{\text{clk}} = \underline{\hspace{2cm}}$$

$$f_{\text{Borrow}} = \underline{\hspace{2cm}}$$

How will you relate the two?

## Experiment No. 11

### Objective

To study parallel in parallel out PIPO shift register using IC74273 (D-type flip flop).

### Component & Apparatus Required

Bread board/Digital Logic Trainer

5 V - Power Supply

Logic Probe

LEDs with Resistors

Connecting Wires

### Following ICs and their Datasheets:

74273

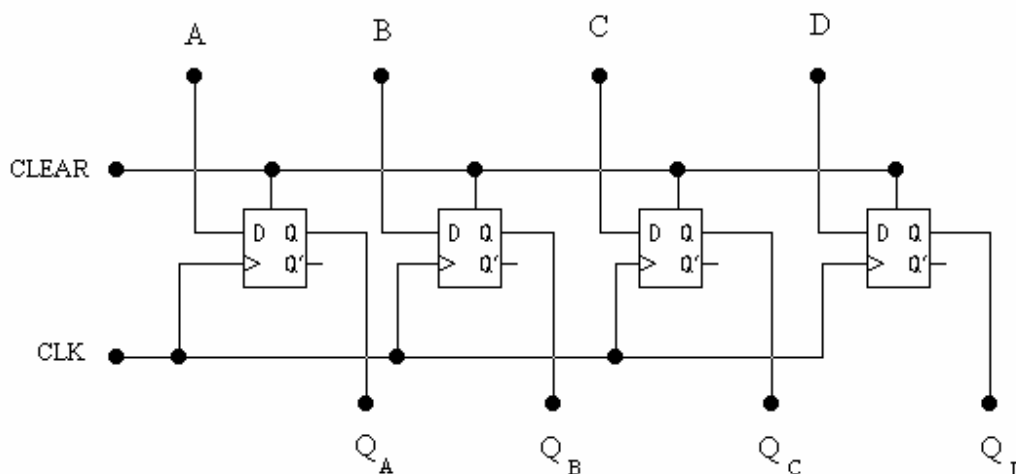
### Theory

In digital electronics register (or shift register) is combination of flip-flops in such a manner that the data is shifted down the line from input to output. They can be combined for serial inputs and parallel inputs as well as serial outputs and parallel outputs. So there are four types of registers: Serial In Serial Out (SISO), Serial in Parallel Out (SIPO), Parallel In Serial Out (PISO) and Parallel In Parallel Out (PIPO). The register, in digital circuitry, can be used as data storage device, convert the data between serial and parallel interface etc.

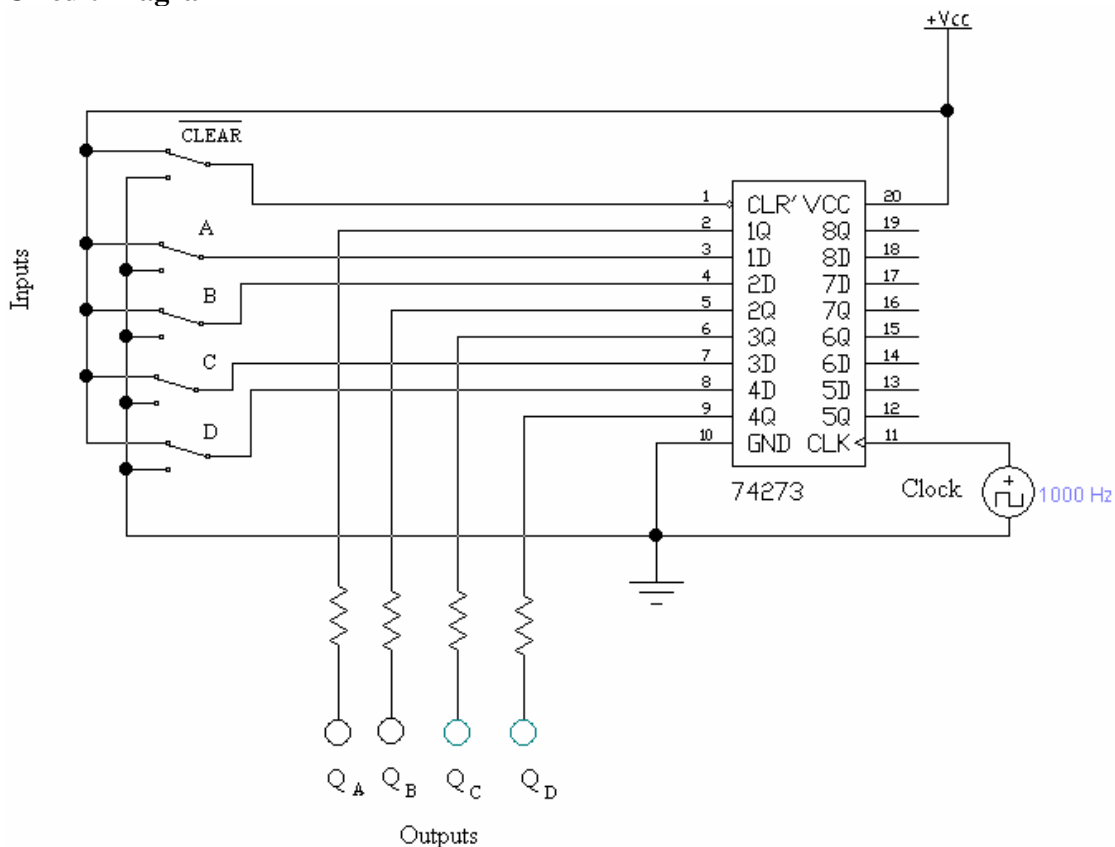
IC 74273 contain 8 D type flip-flops. The following are pin description of IC 74273.

- 1D through 8D active high data inputs.
- 1Q through 8Q active high data outputs.
- CLR` active low clear for resetting the flip-flops.
- VCC and GND: Supply connections line.

Parallel in Parallel out (PIPO) register (4-bit data) can be implemented by using the 4 D flip-flops as show below:



**Circuit Diagram**



**Figure 1.**

**Implementation & Observation**

- Make connections as shown in the circuit diagram (Figure 1).
- Set the clock at 1000 Hz 5 V square wave from function generator.
- Apply different combinations of 1s and 0s at data inputs.
- When you apply logic 0 at clear input then register reset and as it is active low and when you reset it to logic 1 then the register will give the output.
- Observe the output and record your observations in the following table.

**Observation Table**

Clear I/P	Data I/Ps				Data O/Ps			
1	0	1	1	0				
1	0	1	0	1				
0	1	0	1	0				
0	1	1	0	0				
1	1	0	0	1				
1	0	0	1	1				

## Experiment No. 12

### Objective

Design Serial in Serial out shift register using JK FF and implement it using 74273 IC.

### Component & Apparatus Required

Bread board/Digital Logic Trainer

5 V - Power Supply

Logic Probe

LEDs with Resistors

Connecting Wires

### Following ICs and their Datasheets:

74273

### Theory

In digital electronics register (or shift register) is combination of flip-flops in such a manner that the data is shifted down the line from input to output. They can be combined for serial inputs and parallel inputs as well as serial outputs and parallel outputs. So there are four types of registers: Serial In Serial Out (SISO), Serial in Parallel Out (SIPO), Parallel In Serial Out (PISO) and Parallel In Parallel Out (PIPO). The register, in digital circuitry, can be used as data storage device, convert the data between serial and parallel interface etc.

IC 74273 contains 8 D type flip-flops. The following are pin description of IC 74273.

- 1D through 8D active high data inputs.
- 1Q through 8Q active high data outputs.
- CLR active low clear for resetting the flip-flops.
- VCC and GND: Supply connections line.

Serial in Serial out (SISO) register (4-bit data) can be implemented by using the 4 D flip-flops as show below:

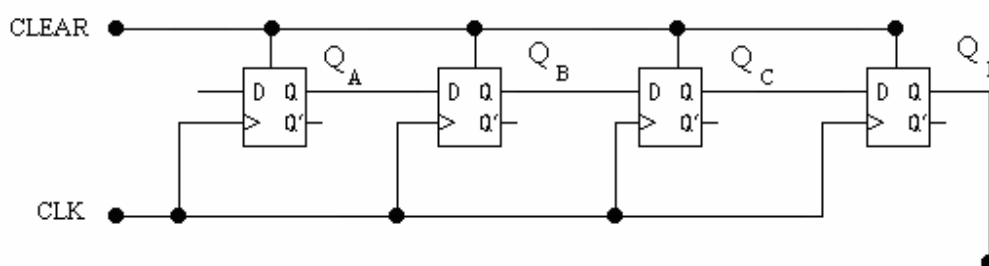
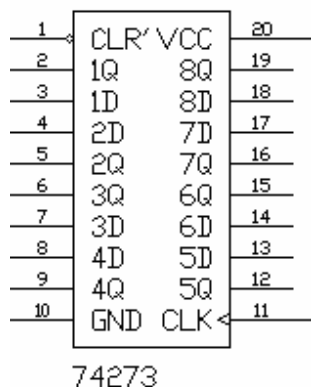


Figure 1

**Figure 2.****Implementation & Observation**

- Make connections using figure 1 and figure 2.
- Set the clock at 1000 Hz 5 V square wave from function generator.
- Apply different combinations of 1s and 0s at data inputs.
- When you apply logic 0 at clear input then register reset and as it is active low and when you reset it to logic 1 then the register will give the output.
- Observe the output and record your observations in the following table.

**Observation Table**

Clear I/P	Data I/Ps	Data O/Ps
0	1	
1	0	
1	1	
1	0	
1	0	
1	1	

## Experiment No. 13

### Objective:

To build JK MASTER SLAVE flip flop and verify its truth table.

### Theory

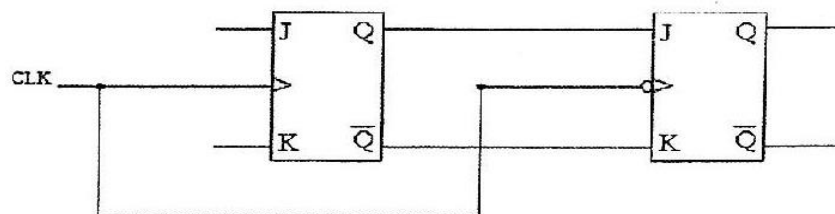
The figure below shows one way to build a JK MASTER SLAVE flip flop. MASTER SLAVE flip flop. MASTER is positive edge triggered and SLAVE is negative edge triggered. Therefore, MASTER responds to its J and K inputs before its SLAVE. Regardless of what the MASER reset, the SLAVE resets. This is pulse Triggered flip- flop.

### Components required

54/7427, 74LS00, 74LS11

### Procedure

The IC to be used for this experiment is 74LS27, which is three input NOR gate and 74LS11 which is three input AND gate. Insert an IC the proto board. Make the connection of the circuit according to the diagram. Provide Vcc to the pin 14 of the IC and connect ground to pin 7. In this experiment, we construct two back to back JKFFs one is marked as master and another as slave. Any input in the master-slave flip-flop at J and K is first seen by the master FF part of the circuit while CLK is High (1). An important feature here is that the complement of the circuit while CLK pulse is fed to the slave FF when CLK is Low (0). Therefore on the High-to-Low CLK transition the outputs of the master are fed through the salve FF. Cross checks your circuit and apply logic 0 and 1 at inputs and check the output at pin 8 and 16. Perform the given task and verify the table 13.1.



**Table 13.1**

INPUTS			OUTPUTS
At $t_n+1$			At $t_{n+1}$
CLK	J	K	$Q_{n+1}$

**Conclusion:**

---

---

---

---

Dated: \_\_\_\_\_

Signature: \_\_\_\_\_



## Experiment No. 14

### Objective:

Design a decade counter (Mod-10) by using JK flip flop.

### Theory:

It is often desirable to construct a counter other than 2, 4, and 8 and so on. A smaller modulus counter can always be constructed from a larger modulus counter by skipping states. Such counters are said to have a modified count. The two flip-flops in figure 14-1 have been connected to from to provide a mod-10 counter. Since four flip-flops have a natural count of 16, this counter will skip six states. The truth table shows that this counter progress through the count sequence 0000 to 1010 and then back to 0000.it clearly skips count 1011 to 1111.

### Components required:

74LS76 (Dual Edge triggered JK flip-flop IC), 7420 (Dual 4-input NAND gate IC)

### Procedure:

The IC to be used for this experiment is 74LS76 and 7420. Make the connection of the circuit according to the diagram. Note down the sequence of outputs in truth table 14.1 after each successive clock pulse and draw the timing diagram.

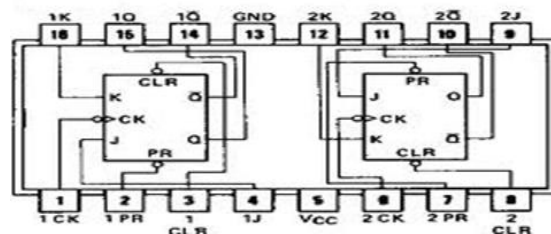


Figure 14.1 74LS76 dual M/S JK flip flop

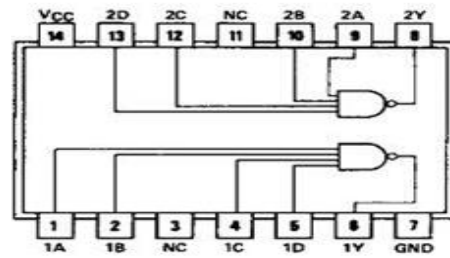


Figure 14.2 7420 dual 4 input NAND gate

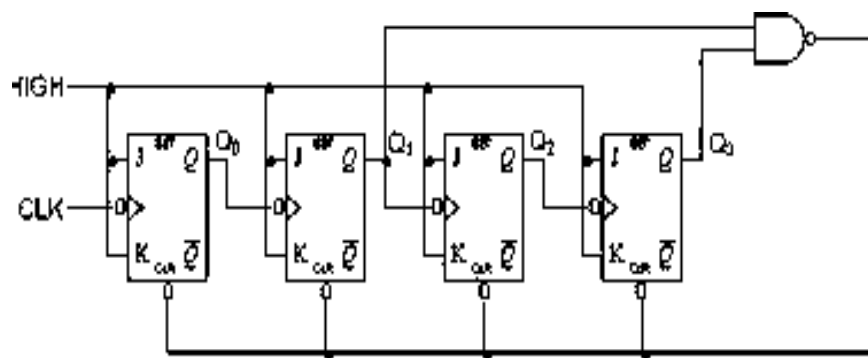


Figure 14.3 Mod 10 counter by using JK flip flop

**Table 14.1: Truth Table for Mod 10 Counter**

COUNT	QD	QC	QB	QA
0				
1				
2				
3				
4				
5				
6				
7				
8				
9				
10				
11				
12				
13				
14				
15				

**Conclusion:**

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Date: \_\_\_\_\_

Signature: \_\_\_\_\_

## Experiment No. 15

### Objective

To study the Programmable logic devices and familiarize with programmable logic devices.

### Components Required

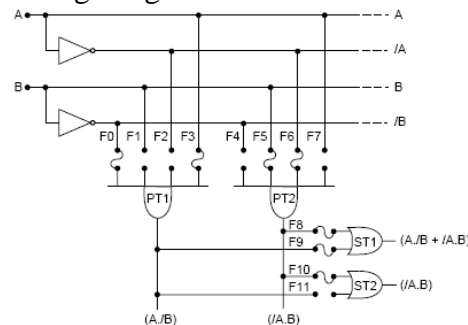
- Computer with WinCupl package
- GAL 16 V8 device (PLD/ GAL)
- Universal Programmer
- Bread board
- 5 V - power supply
- Multimeter
- Logic probe
- LEDs with resistors
- Connecting wires
- Switches

### Theory

#### Programmable Logic

Programmable logic, as the name implies, is a family of components that contains arrays of logic elements (AND, OR, INVERT, LATCH, FLIP-FLOP) that may be configured into any logical function that the user desires and the component supports. There are several classes of programmable logic devices: ASICs, FPGAs, PLAs, PROMs, PALs, GALs, and complex PLDs.

**GALs:** GALs are Generic Array Logic devices. They are designed to emulate many common PALs through the use of macrocells. If a user has a design that is implemented using several common PALs, he may configure several of the same GALs to emulate each of the other devices. This will reduce the number of different devices in stock and increase the quantity purchased. Usually, a large quantity of the same device should lower the individual device cost. Also these devices are electrically erasable, which makes them very useful for design engineers.



## Logical Operators

Four standard logical operators are available for use: NOT, AND, OR, and XOR. The following table lists the operators and their order of precedence, from highest to lowest.

Operator	Examples	Description	Precedence
!	!A	NOT	1
&	A & B	AND	2
#	A # B	OR	3
\$	A \$ B	XOR	4

## Arithmetic Operator

Operator	Examples	Description	Precedence
**	2**3	Exponentiation	1
*	2*1	Multiplication	2
/	4/2	Division	2
%	9%8	Modulus	2
+	2+4	Addition	3
-	4-1	Subtraction	3

**WinCUPL** is a Universal Compiler for Programmable Logic. WinCUPL is a versatile and powerful logic compiler that can be used to create very sophisticated logic designs for SPLD and CPLD. The WinCUPL package includes the following tools:

**WinCUPL:** A powerful front end and user interface for all of the WinCUPL tools including the compiler and for more details on the features of WinCUPL.

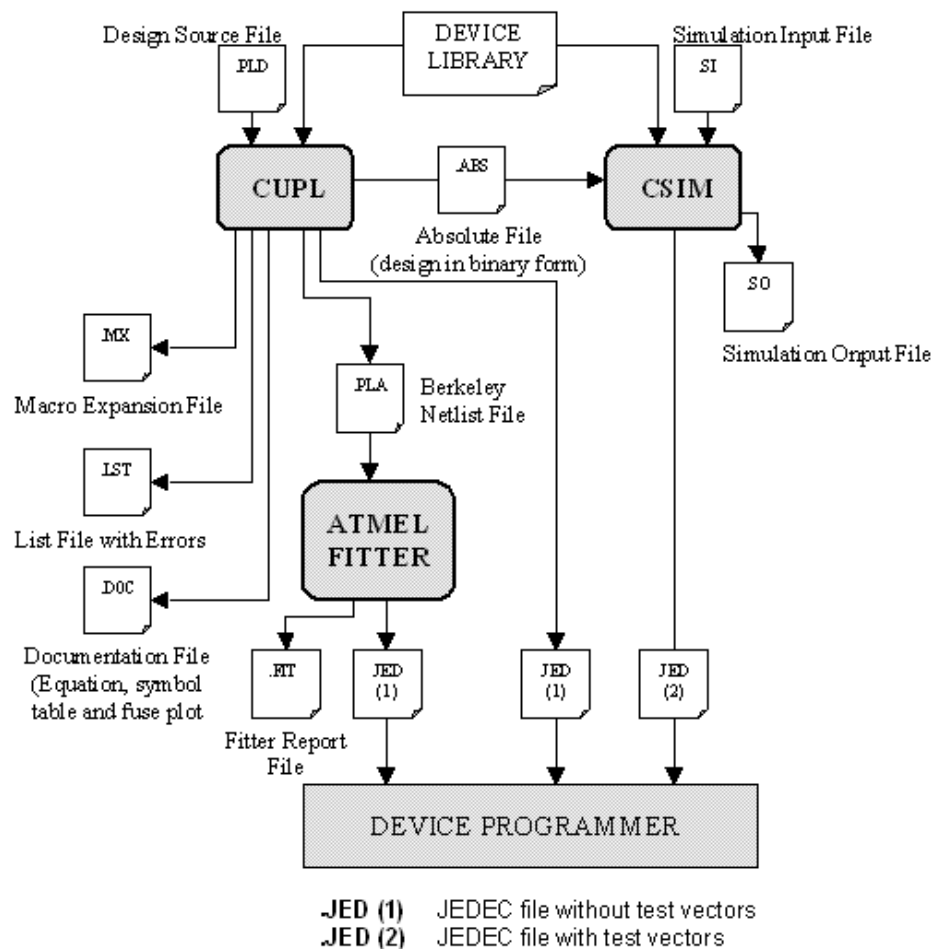
**CUPL Compiler:** Logic descriptions written in the CUPL language are compiled, and can be assigned to specific logic devices (PLDs). Upon compilation, the CUPL compiler searches its libraries and creates a file which can be downloaded to a device programmer. From this point, the PLD can be programmed.

**Simulator:** Designs can be simulated with CSIM before they are put into production. **CSIM** compares the expected values to actual values calculated during CUPL operation. Both the simulation inputs and the results of the simulation can be graphically viewed and modified with WinSim. **WinSim** simulation input and results are set and displayed by WinSim in waveform.

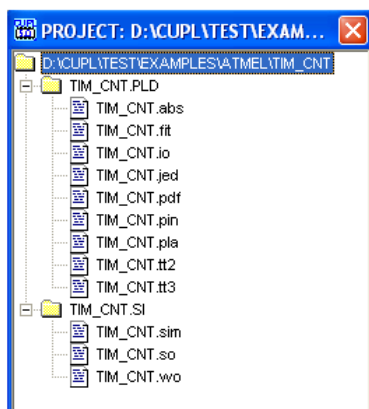
## CUPL Data Flow

The following diagram illustrates the data flow for creating a design and implementing the design using CUPL. First, a logic description is created using the CUPL language manually using the WinCUPL source editor. Then, the design is compiled to create a fusemap file for downloading to a device programmer. Optionally, a test specification file may be created to verify the design. CSIM is executed to compare the expected values in the test file to the actual values in the absolute file created by CUPL. When simulation is completed without any errors, the verified test vectors can be appended to the download file generated by CUPL.

## Data Flow Diagram



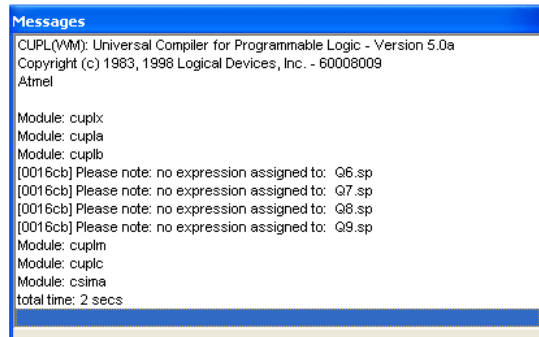
## The Project Window



The project window displays all of the files associated with the open project or design file in a tree control. Double clicking any file within the window will open that file in the editor or CUPL tool that is used to create or edit the file. You can close the project by closing the project window.

If you open a design file rather than opening it as a project, you can display the project window at any time by choosing Project from the view menu.

### The Messages Window



The messages window displays the output from the compiler consisting of both status information and error messages generated by the compiler. If you click on an error message, the Error Message dialog will be displayed providing more information about the specific error.

### Sample Code

```
Name      All_basic_Gates;
Partno    gat110;
Revision  04;
Date      IU;
Designer  IU;
Company   IQRA UNIVERSITY;
Location  MAIN Campus;
Assembly  None;
Device    g16v8a;
```

```
/* Inputs Pins: define inputs and assigning the name to the input pins*/
```

```
Pin 1 = a;
Pin 2 = b;
```

```
/*Outputs Pins: define outputs as active HI levels and assigning the name to o/p pin*/
```

```
Pin 12 = nota;
Pin 13 = notb;
Pin 14 = and;
Pin 15 = nand;
Pin 16 = or;
Pin 17 = nor;
Pin 18 = xor;
Pin 19 = xnor;
```

```
/*
```

```
* Logic: Implementing logic gates
```

```
*/
```

```
nota = !a;      /* inverters */
notb = !b;
and = a & b;    /* and gate */
nand = !(a & b); /* nand gate */
or = a # b;     /* or gate */
nor = !(a # b); /* nor gate */
xor = a $ b;    /* exclusive or gate */
xnor = !(a $ b); /* exclusive nor gate */
```

**Task 15.1:** Using WinCUPL write the above code for GAL 16V8a, observe the output and attach the simulation screen-shot.

**Task 15.2:** Using WinCUPL write the code for GAL 16V8a used as a **Half-Adder**, observe the output and attach the simulation screen-shot.

**Task 15.3:** Demonstrate the working of PLD (GAL16V8) as a 4-to-1 Multiplexer. Write the code, observe output and show simulation results as well. Compare the circuit with the discrete component structure of the combinational logic for similar MUX.